## S1. Ans. (b)

Sol. (I) $x^{2}=529-385$
$x^{2}=144$
$\mathrm{x}=+12,-12$
(II) $2 y^{2}+51 y+324=0$
$2 \mathrm{y}^{2}+24 \mathrm{y}+27 \mathrm{y}+324=0$
$y=-12,-\frac{27}{2}$
$\therefore \mathrm{x} \geq \mathrm{y}$

## S2. Ans. (c)

Sol. (I) $3 \mathrm{x}^{2}-58 \mathrm{x}+280=0$
$3 x^{2}-28 x-30 x+280=0$
$\mathrm{x}(3 \mathrm{x}-28)-10(3 \mathrm{x}-28)=0$
$\mathrm{x}=10, \frac{28}{3}$
(II) $3 y^{2}-67 y+374=0$
$3 y^{2}-33 y-34 y+374=0$
$y=11, \frac{34}{3}$
$\therefore \mathrm{y}>\mathrm{x}$

## S3. Ans. (e)

Sol. (I) $25 x^{2}-25 x-176=0$
$25 \mathrm{x}^{2}-80 \mathrm{x}+55 \mathrm{x}-176=0$
$\mathrm{x}=\frac{-11}{5}, \frac{+16}{5}$
(II) $25 y^{2}-55 y+18=0$
$25 y^{2}-10 y-45 y+18=0$
$y=\frac{2}{5}, \frac{9}{5}$
$\therefore$ No relation Ans.(a)

S4. Ans. (e)
Sol. (I) $20 \mathrm{x}^{2}-41 \mathrm{x}+20=0$
$20 x^{2}-25 x-16 x+20=0$
$\mathrm{x}=\frac{5}{4}, \frac{4}{5}$
(II) $16 y^{2}-22 y+7=0$
$16 y^{2}-14 y-8 y+7=0$
$\mathrm{y}=\frac{1}{2}, \frac{7}{8}$
$\therefore$ No relation


## S5. Ans. (c)

Sol. (I) $2 x-y=\frac{31}{15}$
(II) $3 x+5 y=20$

Solving (i) and (ii)
$x=\frac{7}{3}, y=\frac{13}{5}$
$\therefore \mathrm{y}>\mathrm{x}$

## S6. Ans. (d)

Sol. Given $\mathrm{x}=4 \mathrm{~km} / \mathrm{hr}$, let speed of current $=\mathrm{ykm} / \mathrm{hr}$
$\frac{d}{x-y}=\frac{3 d}{x+y}$
$2 \mathrm{x}=4 \mathrm{y}$
$\mathrm{y}=2 \mathrm{~km} / \mathrm{hr}$

## S7. Ans. (a)

Sol. Let radius of $1^{\text {st }}$ cone be $r_{1}$ and that of second cone be $r_{2}$.
$\pi r_{1} \ell=3\left(\pi r_{2} .3 \ell\right)$
or, $\pi r_{1} \ell=9 \pi r_{2} \ell$
$\Rightarrow \frac{r_{1}}{r_{2}}=\frac{9}{1}$
Ratio of areas $=81: 1$

## S8. Ans. (b)

Sol. Let present age of B is x years.
So, present age of $\mathrm{D}=\frac{9 \times(x-5)}{10}+5=\frac{9 x+5}{10}$
Present age of $\mathrm{A}=\frac{4}{5} \times \frac{9 x+5}{10}=\frac{18 x+10}{25}$
Present age of $\mathrm{E}=\frac{5}{11} x$
ATQ
$\frac{18 x+10}{25}-\frac{5}{11} x=15$
$73 x+110=4125$
$x=\frac{4015}{73}=55$
So, present ages of A, B, C, D and E are 40 years, 55 years, 35 years, 50 years and 25 years respectively.
$\therefore$ required average $=\frac{40+55+35+50+25}{5}=\frac{205}{5}=41$ years
S9. Ans. (e)
Sol. $\mathrm{A}+\mathrm{B}+\mathrm{C}=84 \times 3=252$
$A+B+C+D=80 \times 4=320$
Age of $D=320-252=68$
Age of $\mathrm{E}=71$
$\mathrm{B}+\mathrm{C}+\mathrm{D}+\mathrm{E}=316$
$B+C=316-(68+71)$
$B+C=177$
Age of $A=252-177=75 \mathrm{~kg}$.

## S10. Ans. (a)

Sol. Let t be the time which is excess of 40 days.
$200 \times 5=100(t+5)$
$1000=100 t+500$
$100 t=500$
$t=5$ days

## S11. Ans (a)

Sol. Ratio of their profit $=6280: 3768$
$=785$ : 471
Let total profit in the business $=$ Rs. $x$
$x \times \frac{70}{100} \times \frac{314}{1256}=700$
Total profit $=700 \times\left(\frac{100}{70}\right) \times \frac{1256}{314}$
$=10 \times 100 \times 4$
$=4000$ Rs.

## S12. Ans. (c)

Sol. Krishna $\rightarrow 3 x \times 2 t \Rightarrow 6 x t$
Nandan $\rightarrow x \times t \Rightarrow x t$
Ratio of their profits $=6: 1$
$\therefore$ Required amount $=\frac{4000}{1} \times 7=28000$ Rs.

## S13. Ans. (c)

Sol. Total bad oranges $=510 \times \frac{70}{1700}=21$
$\therefore$ Required probability $=\frac{(510-21)}{510}=\frac{163}{170}$

## S14. Ans. (d)

Sol. Total possible outcomes $=(1 / 2)^{3}=1 / 8$
Favorable outcomes $=(\mathrm{HHT}),(\mathrm{HTH}),(\mathrm{THH})=3$
$\therefore$ Required Probability $=3 / 8$

S15. Ans (a)
Sol. Ratio of profit share of A and $B=\frac{8400 \times 24}{8000 \times 18}=\frac{7}{5}$
Remaining profit $=12000 \times \frac{85}{100}=$ Rs 10200
Profit share of $\mathrm{B}=10200 \times \frac{5}{12}=R s 4250$

S16. Ans. (b)
Sol. Quantity I:
$\frac{{ }^{3} \mathrm{C}_{2}}{{ }^{12} \mathrm{C}_{2}}=\frac{1}{22}$
Quantity II:
$5\left(\frac{1}{2}+\frac{1}{2}+\frac{2}{7}-\frac{1}{14}-\frac{3}{14}\right)=\frac{1}{x}$
$6=\frac{1}{x}$
$x=\frac{1}{6}$
Quantity II > Quantity I

## S17. Ans. (b)

Sol. Let side of cube and radius of sphere be a and r respectively.
$\Rightarrow 6 \mathrm{a}^{2}=4 \pi \mathrm{r}^{2}$
$a=\sqrt{\frac{2}{3} \pi} r$
Quantity I:
Since, Volume of cube $=a \times a \times a$
Cube $\div \sqrt{ } \pi$
$=\frac{2}{3} \pi \times \sqrt{\frac{2}{3}} \pi r^{3} \div \sqrt{ } \pi$
$=(2 / 3)^{\frac{3}{2}} \pi r^{3}$
Quantity II : volume of sphere
4
$\frac{4}{3} \pi r^{3}$
$\therefore$ Quantity II > Quantity I

## S18. Ans. (e)

Sol. Let cost price $=100 \mathrm{x}$
So selling price $=120 \mathrm{x}$
Marked price $=\frac{120 \mathrm{x}}{70} \times 100=\frac{1200}{7} \mathrm{x}$
Profit\% = 20\%
When article sold 35 Rs. more
Profit $\%=\frac{20 \times 150}{100}=30 \%$
$35 \rightarrow 10 \mathrm{x}$
$100 \mathrm{x}=350$
$120 x=420$
$\frac{1200}{7} x=600$
Quantity I:
$420+35=455$
Quantity II:
Discount percent $=241 / 6 \%$
Discount $=\frac{600 \times 145}{600}=145$ Rs.
Selling price $=600-145=$ Rs 455
Quantity I = Quantity II

## S19. Ans. (a)

Sol. Quantity I - Total work $=72$ units (Lcm of days taken by A \& B)
Efficiency of $\mathrm{A}=\frac{72}{24}=3$ units $/$ day
Efficiency of $B=\frac{72}{18}=4$ units/day
Let efficiency of $\mathrm{C}=\mathrm{x}$ unit/day
$7 x+7(1.4 x)=72 \frac{175}{3} \times \frac{1}{100}=42$ units
$\mathrm{x}=2.5$ units
Efficiency of $D=1.4 \times 2.5=3.5$ units
$(\mathrm{A}+\mathrm{B}+\underline{\underline{\mathrm{D}}})$ together $=\frac{72}{(3+4+3.5)}$

$$
=6 \frac{6}{7} \text { days }
$$

Quantity II -
Ratio of efficiency of Satish : Ankit $=100 \mathrm{x}$ : 40x

$$
=5 x: 2 x
$$

Total work $=22.5 \times 2 \mathrm{x}=45 \mathrm{x}$ units
ATQ,
$($ Ankit + Satish $) \times 4.5=4.5(5 x+2 x)$
$=31.5 \mathrm{x}$ work
Remaining work $=45 \mathrm{x}-31.5 \mathrm{x}$
$=13.5 \mathrm{x}$
Veer efficiency $=\frac{13.5}{4.5}=3$ units/day
$($ Ankit + Satish + Veer $)=\frac{45 x}{(5 x+2 x+3 x)}$
$=4.5$ days
So, Quantity I > Quantity II

## S20. Ans. (b)

Sol. Quantity I - Let present ages of Hemant and Amit be 9x and 5x years respectively.
ATQ
$\frac{5 x-3}{9 x-3}=\frac{8}{15}$
$75 x-45=72 x-24$
$x=7$
So, required difference $=4 x \times 12=48 x=336$ months
Quantity II-
Sum of present age of 5 members $5 \times 40+5 \times 2=210$ years
Sum of present age of 6 members (as a new born last year) $210+1=211$ years
Sum of ages of 6 members after 4 years $=211+4 \times 6=235$ years
So, required average $=\frac{235}{6} \times 12=470$ months
So, Quantity I < Quantity II

## S21. Ans. (b)

Sol. $1+\left(1^{3}-1\right)=1$
$1+\left(2^{3}-2\right)=7$
$7+\left(3^{3}-3\right)=31$
$31+\left(4^{3}-4\right)=91$
$91+\left(5^{3}-5\right)=211$
$211+\left(6^{3}-6\right)=421$
So, wrong number $=4$.

## S22. Ans. (b)

Sol. $5+8 \times 1=13$
$13+7 \times 2=27$
$27+6 \times 3=45$
$45+5 \times 4=65$
$65+4 \times 5=85$
$85+3 \times 6=103$
$103+2 \times 7=117$
So, wrong number $=50$

## S23. Ans. (d)

Sol. $4+\left(1^{2}+1\right)=6$
$6+\left(2^{3}+1\right)=15$
$15+\left(3^{2}+1\right)=25$
$25+\left(4^{3}+1\right)=90$
$90+\left(5^{2}+1\right)=116$
$116+\left(6^{3}+1\right)=333$
So, wrong number $=113$
S24. Ans. (b)
Sol. $12+8=20$
$20+16=36$
$36+24=60$
$60+32=92$
$92+40=132$
$132+48=180$
So, wrong number $=32$
S25. Ans. (c)
Sol. $14^{2}+1=197$
$15^{2}+1=226$
$16^{2}+1=257$
$17^{2}+1=290$
$18^{2}+1=325$
$19^{2}+1=362$
$20^{2}+1=401$
So, wrong number $=255$

## S (26-30)

Total population of city $\mathrm{X}=7100$
Population below poverty line in city $\mathrm{X}=1704$
Population of X other than BPL $=7100-1704=5396$
Total population of city $Z=\frac{7100}{(100-11.25)} \times 100=8000$
BPL population in city $Z=1 / 4 \times 8000=2000$
Population other than BPL in city L $=5396+160=5556$
Avg. population of city Y and K .
$=$ Avg. population of City X and City Z
$=\frac{7100+8000}{2}=7550$.
Let total population of city K be x
$\therefore(1.5 \mathrm{x}+\mathrm{x})=7550 \times 2$
$x=6040$.
$\therefore$ Total population of city $\mathrm{Y}=6040 \times 1.5=9060$
BPL population of city $\mathrm{K}=\frac{2000}{2} \times 3=3000$
BPL population in city $\mathrm{L}=\mathrm{BPL}$ population in city X
= 1704
Total population in city $\mathrm{L}=1740+5556=7260$
BPL population in city Y
$=\frac{20}{100} \times[9060+8000]-2000$
$=3412-2000=1412$

| City | Below poverty <br> line | other than <br> BPL | Total |
| :--- | :--- | :--- | :--- |
| X | 1704 | 5396 | 7100 |
| Y | 1412 | 7648 | 9060 |
| Z | 2000 | 6000 | 8000 |
| K | 3000 | 3040 | 6040 |
| L | 1704 | 5556 | 7260 |

S26. Ans. (a)
Sol. Required difference $=\left(\frac{3000+1704}{2}\right)-\left(\frac{1704+1412}{2}\right)$
= 2352-1558
= 794

## S27. Ans. (c)

Sol. Required percentage $=\frac{\frac{6040+7260}{2}}{8000} \times 100$
$=\frac{6650}{8000} \times 100=83.125 \%$

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## S28. Ans. (b)

Sol. BPL population in city $A=\frac{3040}{2}=1520$
$\therefore$ Total population in city A.
$=1520 \times 4=6080$

## S29. Ans. (e)

Sol. Required Avg. $=\frac{1704+1412+2000+3000+1709}{5}$
$=\frac{9820}{5}=1964$

## S30. Ans. (b)

Sol. Required ratio $=\frac{1412}{1704}=353: 426$

## S31. Ans(c)

Sol. Let length and breadth of rectangle be 7 x and 4 x respectively
From I,
Given, $\pi r^{2}=616$

$$
\begin{aligned}
& r^{2}=\frac{616 \times 7}{22} \\
& r=14 \mathrm{~cm}
\end{aligned}
$$

length of rectangle $=14 \times 2=28 \mathrm{~cm}$
breadth of rectangle $=\frac{28}{7} \times 4=16 \mathrm{~cm}$
From I and II together,
$2(1+b)-4 a=20$
$2(28+16)-4 a=20$
$4 \mathrm{a}=88-20$
$\mathrm{a}=17 \mathrm{~cm}$
area of Square $=(17)^{2}$

$$
=289 \mathrm{~cm}^{2}
$$

So, Statement I and II both together sufficient

## S32. Ans. (e)

Sol. Both the statements are not sufficient

## S33. Ans. (c)

Sol. if the max marks of exam $=x$
Raman $=\frac{x}{4}$
$\Rightarrow \frac{\mathrm{x}}{4}=288-128=160$
$\mathrm{x}=640$
$\therefore$ Minimum passing marks $=160+64=224$
Required \% $=\frac{224}{640} \times 100=35 \%$

## S34. Ans. (c)

Sol. Given no. of white ball
Let $\rightarrow$ a
From I. let probability $\rightarrow \frac{x}{y}$
Let no. of red ball $\rightarrow p x$, total balls $\rightarrow p y$
From II. $\rightarrow$ Let probability $=\frac{s}{t}$
Let no. of black ball = qs, total balls = qt
From I \& II
$\mathrm{px}+\mathrm{a}+\mathrm{qs}=\mathrm{qt}=\mathrm{py}$
we know the values of $x, y, s, t$ and a so we can find the value of $p$ and $q$
So probability of white ball found $=\frac{\mathrm{a}}{q t}$ or $\frac{\mathrm{a}}{\mathrm{py}}$
$\therefore$ I \& II together sufficient to answer the question

## S35. Ans. (b)

Sol. Only II is sufficient to answer the question
When we cut sphere into hemisphere total surface area of two hemisphere
Total surface area of two hemisphere
$3 \pi r^{2}+3 \pi r^{2}=\pi \times 21 \times 21$
$r=$ find out
So, volume of sphere can be find out.
S36. Ans. (b)
Sol. $\frac{45}{100} \times 80+\sqrt{841}+x^{2}=2121 \div 21$
$36+29+\mathrm{x}^{2}=101$
$x^{2}=36$
$x=6$

## S37. Ans. (c)

Sol. $\frac{36+3 x}{23}+1=52$
$36+3 x+23=52 \times 23$
$3 x+59=1196$
$3 x=1196-59$
$3 x=1137$
$x=379$

S38. Ans. (c)
Sol. $\frac{343}{2}+\frac{175}{100} \times 350=x^{2}$
$x^{2}=171.5+612.5$
$x^{2}=784$
$x=28$

## S39. Ans. (d)

Sol. 23(24 + 47-54) $=x$
$x=23 \times 17$
$x=391$

S40. Ans. (c)
Sol. $\frac{6}{5} \times 650+320+51=x$
$780+320+51=x$
$x=1151$


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